

**What Can We Learn
From the Current Crisis in Argentina?**

Timothy J. Kehoe

University of Minnesota
and Federal Reserve Bank of Minneapolis

June 2003

www.econ.umn.edu/~tkehoe

The economy of Argentina finds itself submerged in a great depression that, even if though began four years ago, deepened after mid 2001 with average quarterly falls of deseasonalized GDP with respect to the previous quarter of 5 percent for the last two quarters of 2001 and the first of 2002. This violent deepening of the recession occurred just at the moment that economic agents, almost universally, became convinced of the impossibility of sustaining the Convertibility Plan.

Dirección Nacional de Coordinación de Políticas Macroeconómicas, Secretaría de Política Económica (2002)

What Happened in Argentina in 2001-2002?

The Brazilian devaluation did not lead to problems for the Argentinian current account — both exports and the trade surplus in fact grew.

March 16 2001: President De la Rúa rejected the plan presented by the Minister of the Economy, Ricardo López Murphy, to reduce the fiscal deficit.

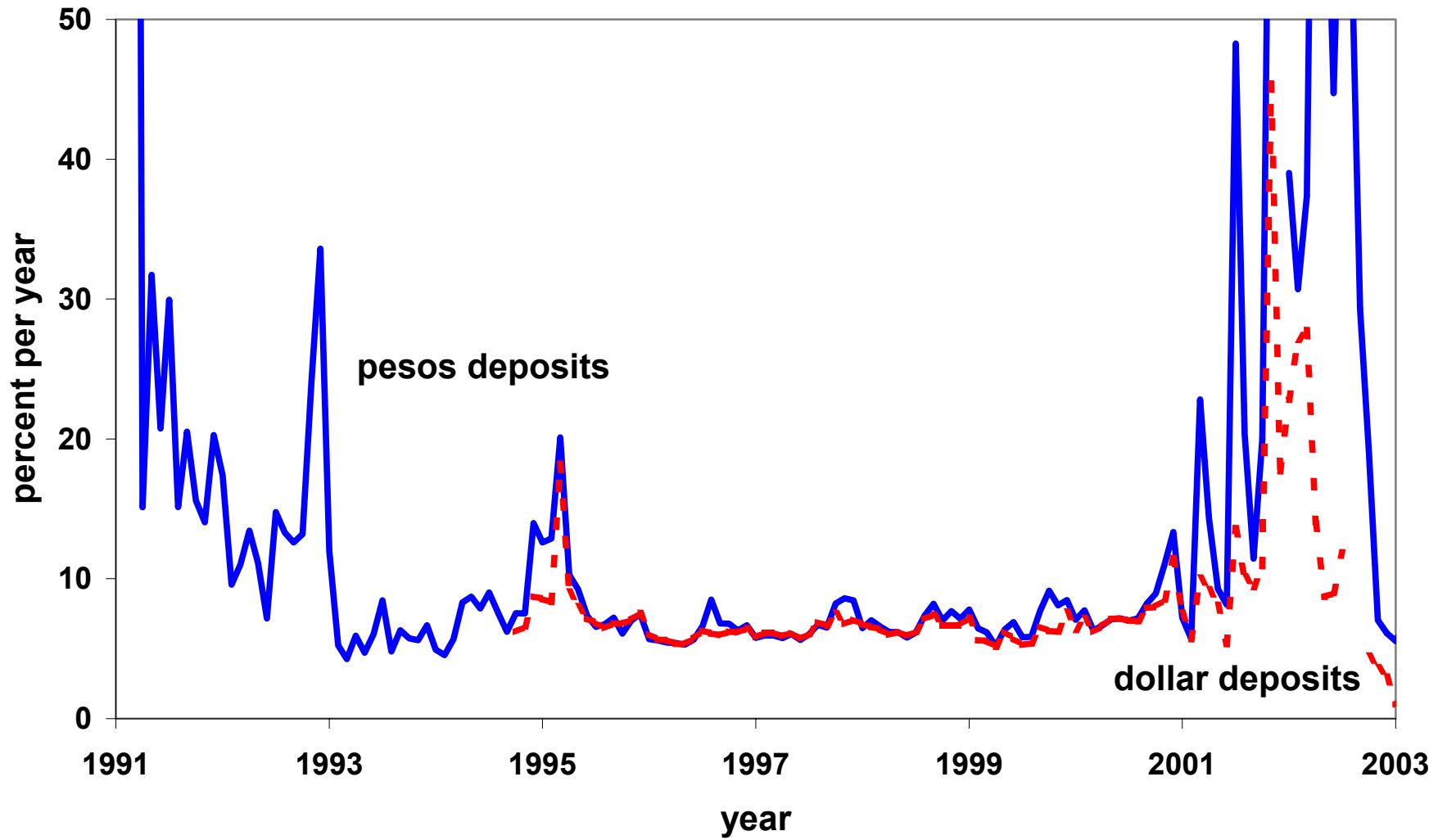
After López Murphy's resignation, De la Rúa appointed Domingo Cavallo, the architect of the Convertibility Plan during the first Menem administration, as Minister of the Economy.

Cavallo presented a new economic plan in the lower house of Argentina's congress. On 28 March 2001, the congress refused to allow Cavallo to cut government salary and pension costs, and the government sold debt to cover the deficit.

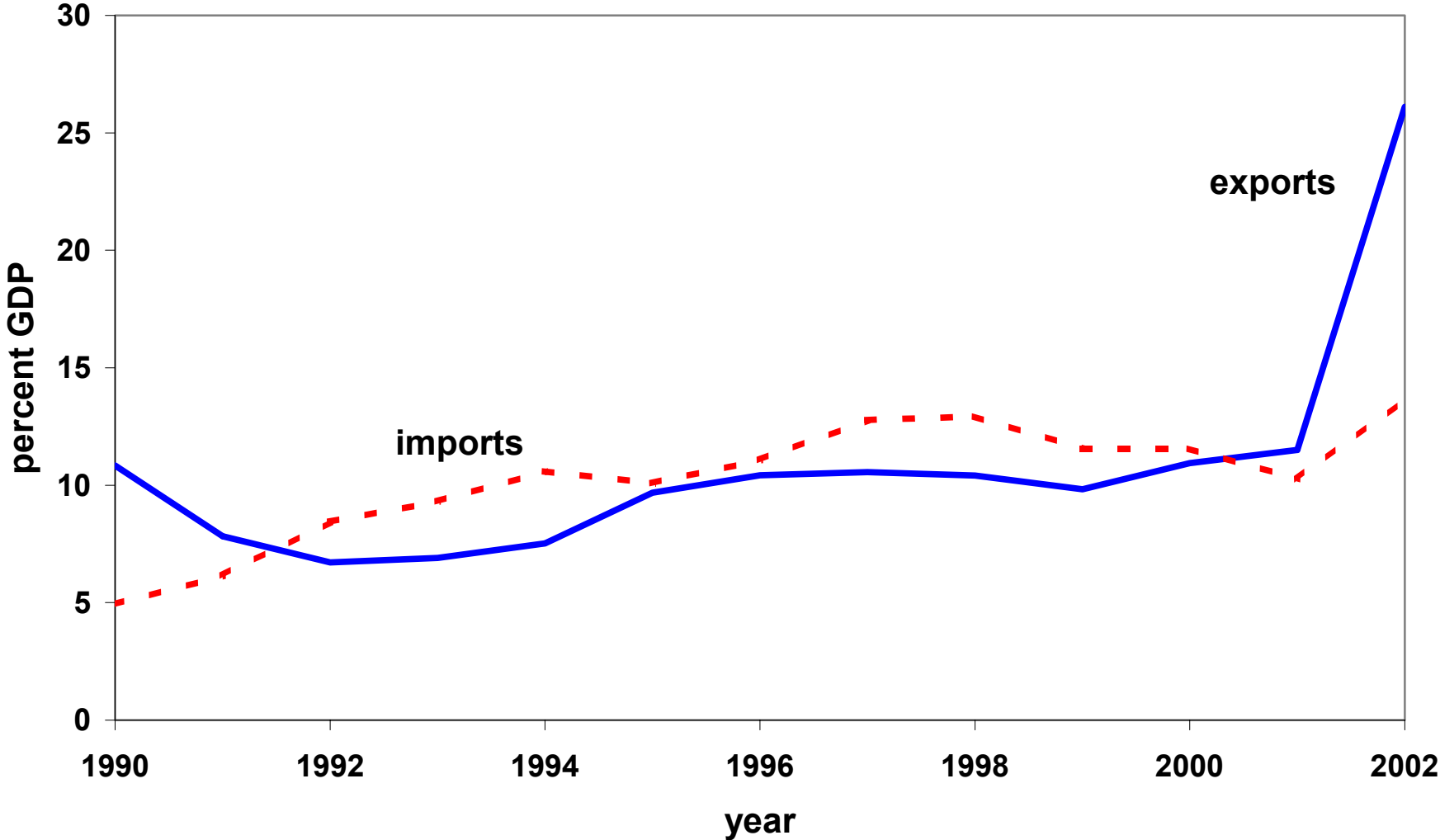
Cavallo's alternative: La Ley de Déficit Cero (Zero Deficit Act): Quasi Monies.

In December 2001, the government defaulted on its debt and, in January 2002, it abandoned the Convertibility Plan.

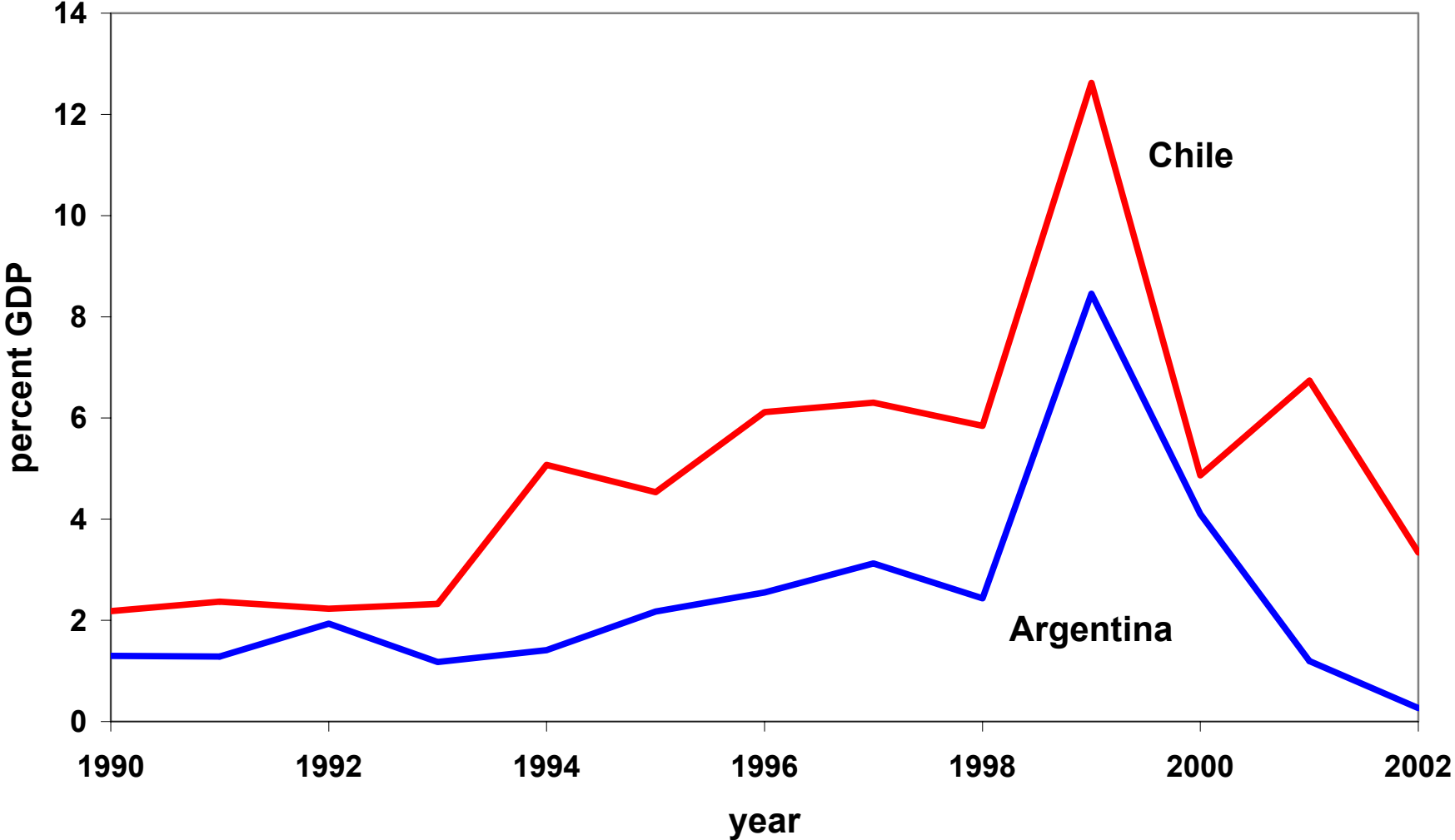
Money Market Interest Rates



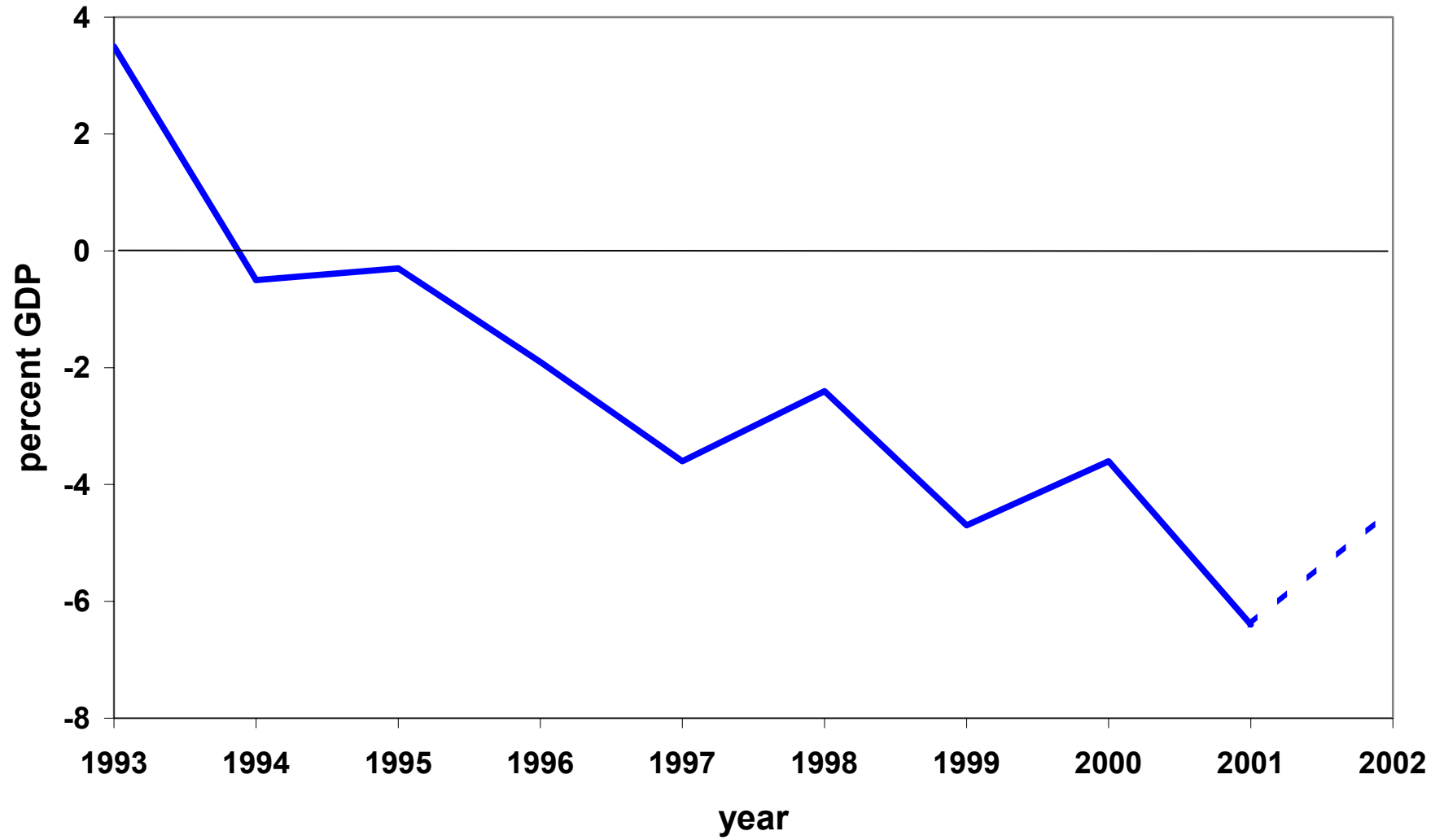
Trade in Goods and Services



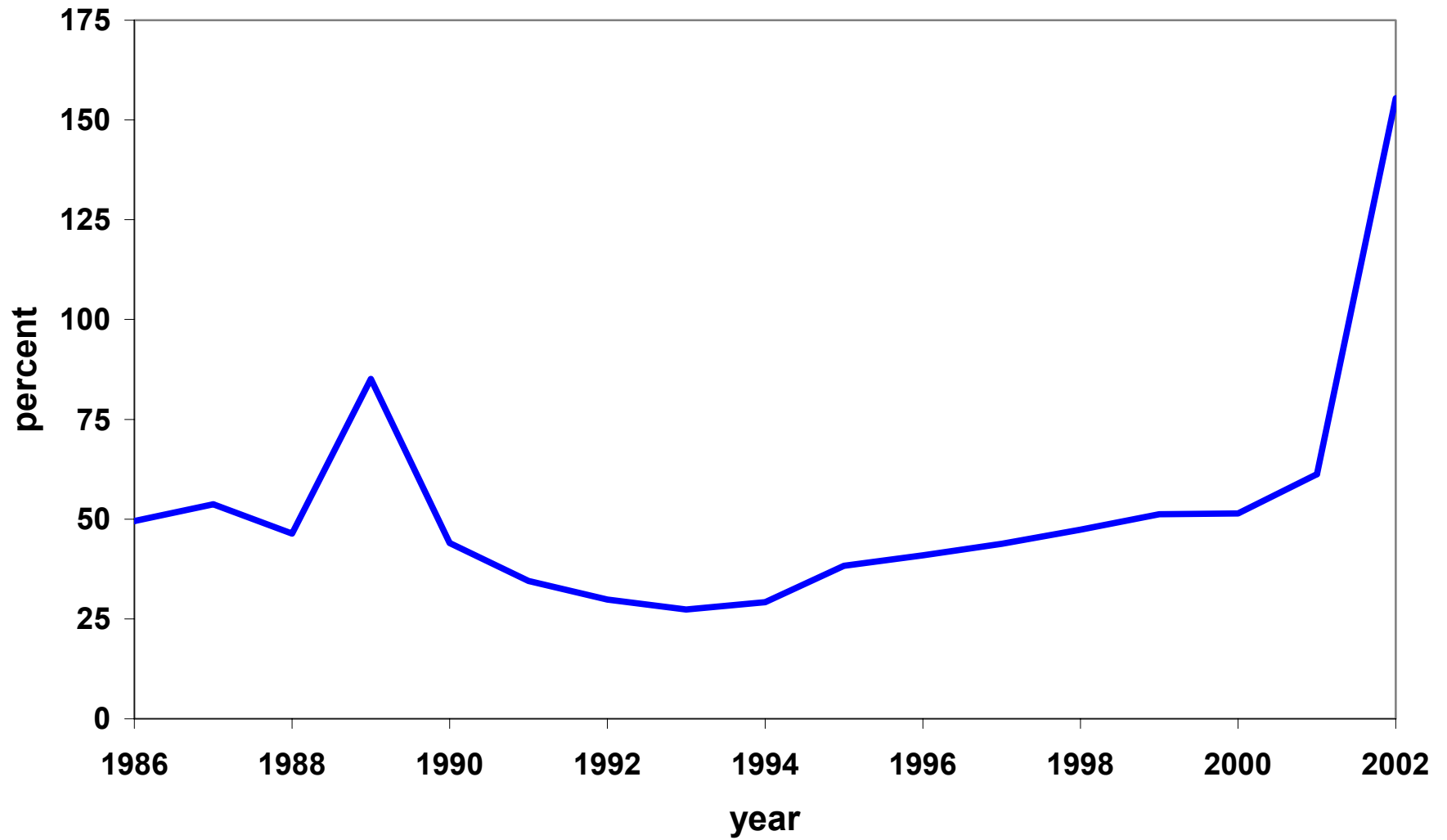
Inward Foreign Direct Investment



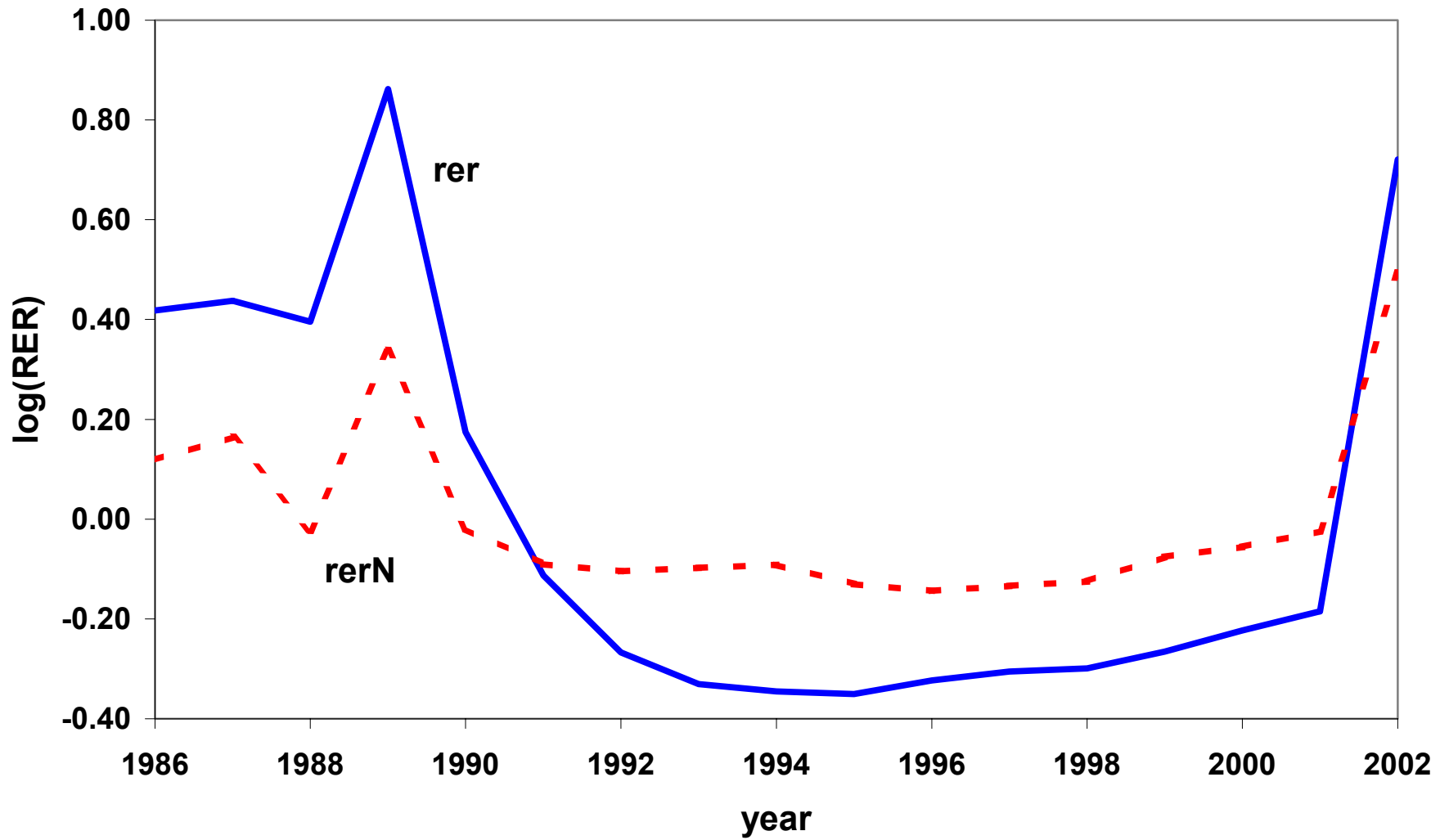
Overall Government Balance (Including Off Budget Items)



Argentina External Debt/GDP



Argentina-U.S. Real Exchange Rate





Great Depressions of the Twentieth Century Project

Use growth accounting and applied dynamic equilibrium models to reexamine great depression episodes:

United Kingdom (1920s and 1930s) — Cole and Ohanian

Canada (1930s) — Amaral and MacGee

France (1930s) — Beaudry and Portier

Germany (1930s) — Fisher and Hornstein

Italy (1930s) — Perri and Quadrini

Argentina (1970s and 1980s) — Kydland and Zarazaga

Chile and Mexico (1980s) — Bergoeing, Kehoe, Kehoe, and Soto

Japan (1990s) — Hayashi and Prescott

**(Review of Economic Dynamics, January 2002
revised and expanded version forthcoming
as Minneapolis Fed volume)**

Lessons from Great Depressions Project

- The main determinants of depressions are not drops in the inputs of capital and labor — stressed in traditional theories of depressions — but rather drops in the efficiency with which these inputs are used, measured as total factor productivity (TFP).
- Exogenous shocks like the deteriorations in the terms of trade and the increases in foreign interest rates that buffeted Chile and Mexico in the early 1980s can cause a decline in economic activity of the usual business cycle magnitude.
- Misguided government policy can turn such a decline into a severe and prolonged drop in economic activity below trend — a great depression.

Applied dynamic general equilibrium model

The representative consumer maximizes

$$\sum_{t=1980}^{\infty} \beta^t \left[\gamma \log C_t + (1-\gamma) \log(\bar{h}N_t - L_t) \right]$$

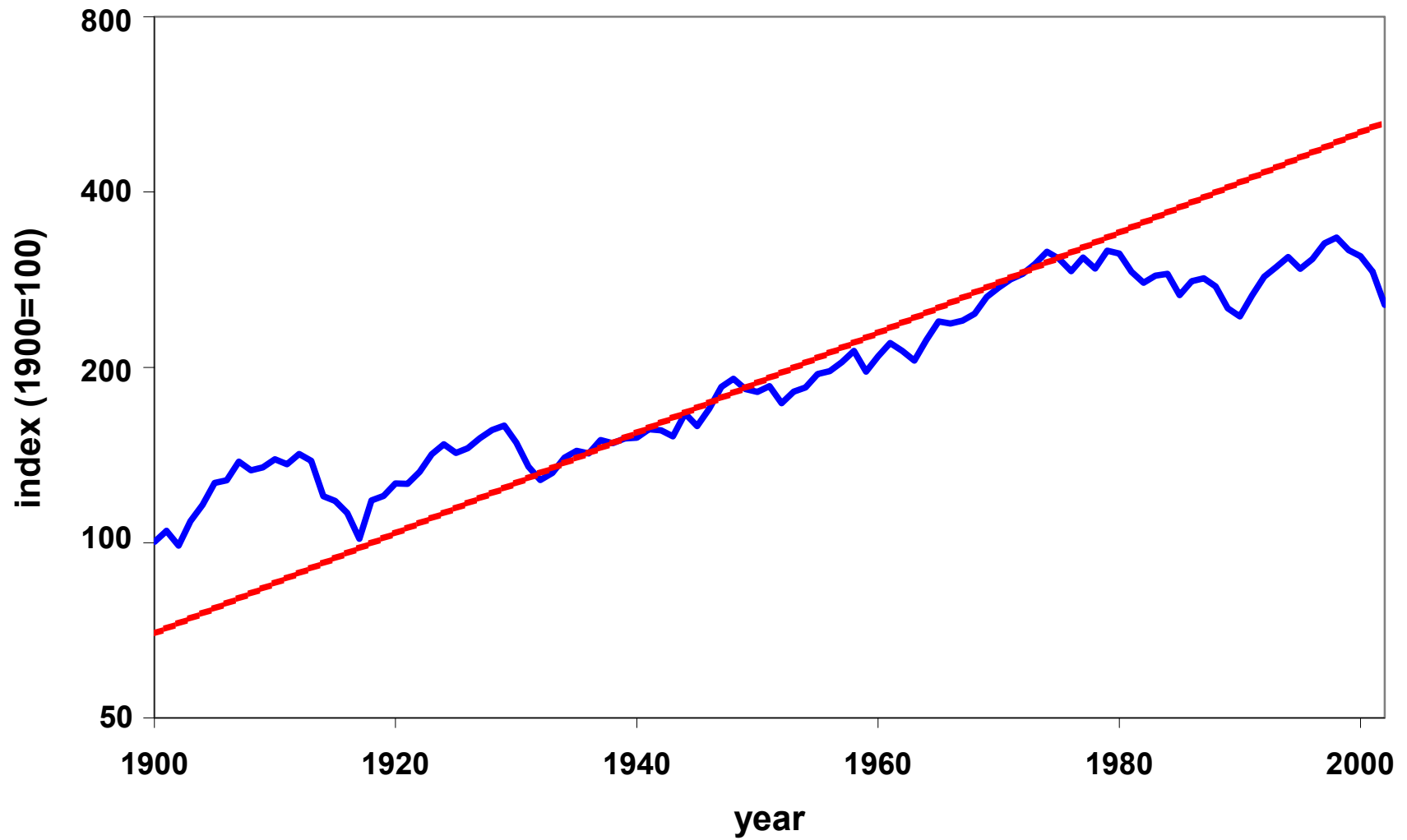
subject to

$$C_t + K_{t+1} - K_t = w_t L_t + (r_t - \delta) K_t.$$

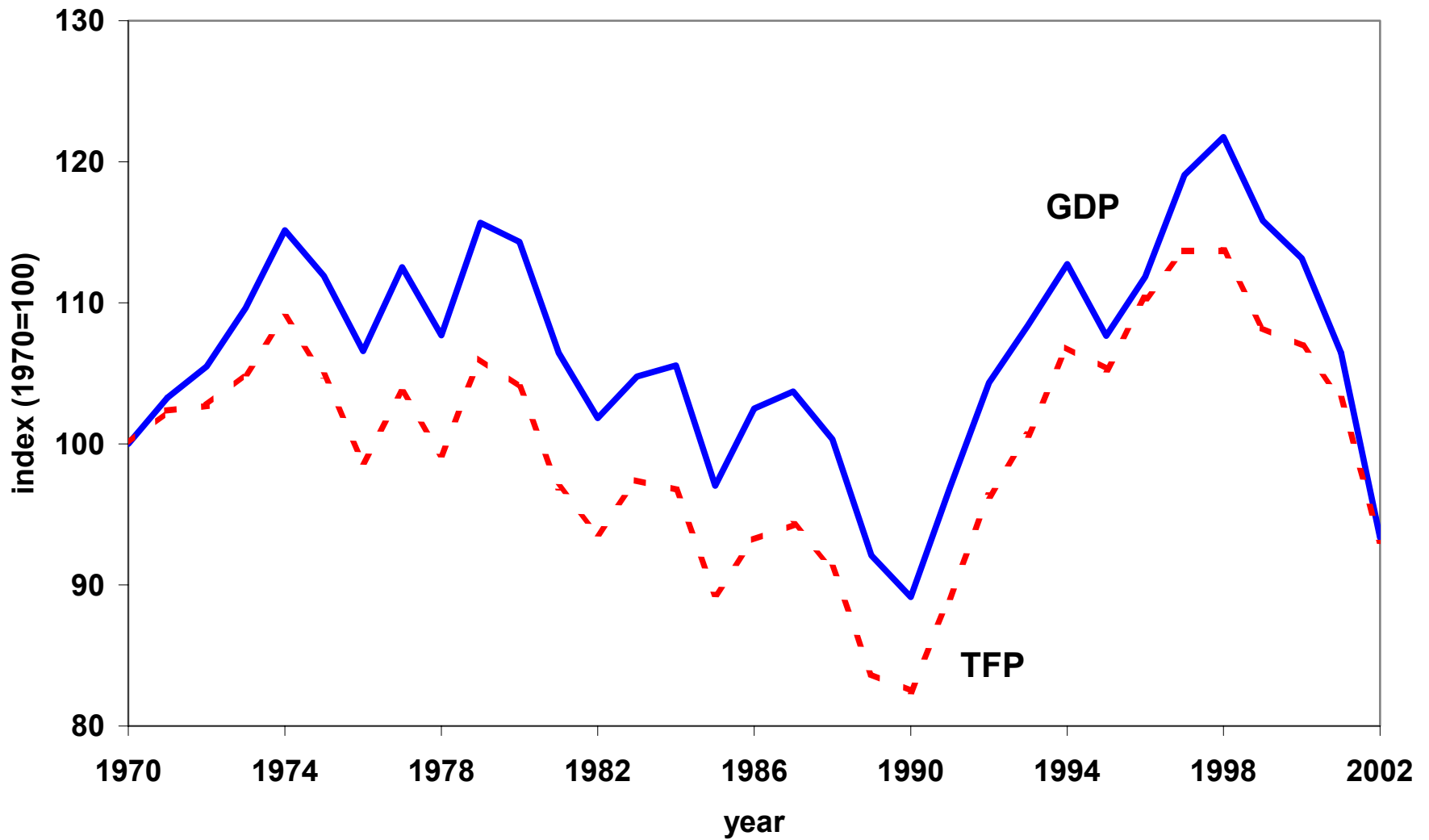
Feasibility:

$$C_t + K_{t+1} - (1 - \delta) K_t = A_t K_t^\alpha L_t^{1-\alpha}.$$

Argentina: Real GDP per working age person



Real GDP Per Working Age Person and Total Factor Productivity



Calibration

First order conditions:

$$\frac{1}{C_{t-1}} = \frac{\beta}{C_t} [1 + r_t - \delta]$$

$$\frac{1-\gamma}{hN_t - L_t} = \frac{\gamma w_t}{C_t}.$$

Estimate $\beta=0.96$, $\gamma=0.30$ 1960-1970 data.

Model with Adjustment Costs

$$C_t + X_t = A_t K_t^\alpha L_t^{1-\alpha}$$

$$K_{t+1} = (1-\delta)K_t + \phi(X_t/K_t)K_t$$

where

$$\phi(X/K) = \left[\delta^{1-\eta} (X/K)^\eta + (\eta-1)\delta \right] / \eta.$$

For $0 < \eta \leq 1$, $\phi'(X/K) > 0$, $\phi''(X/K) \leq 0$, $\phi(\delta) = \delta$, $\phi'(\delta) = 1$.

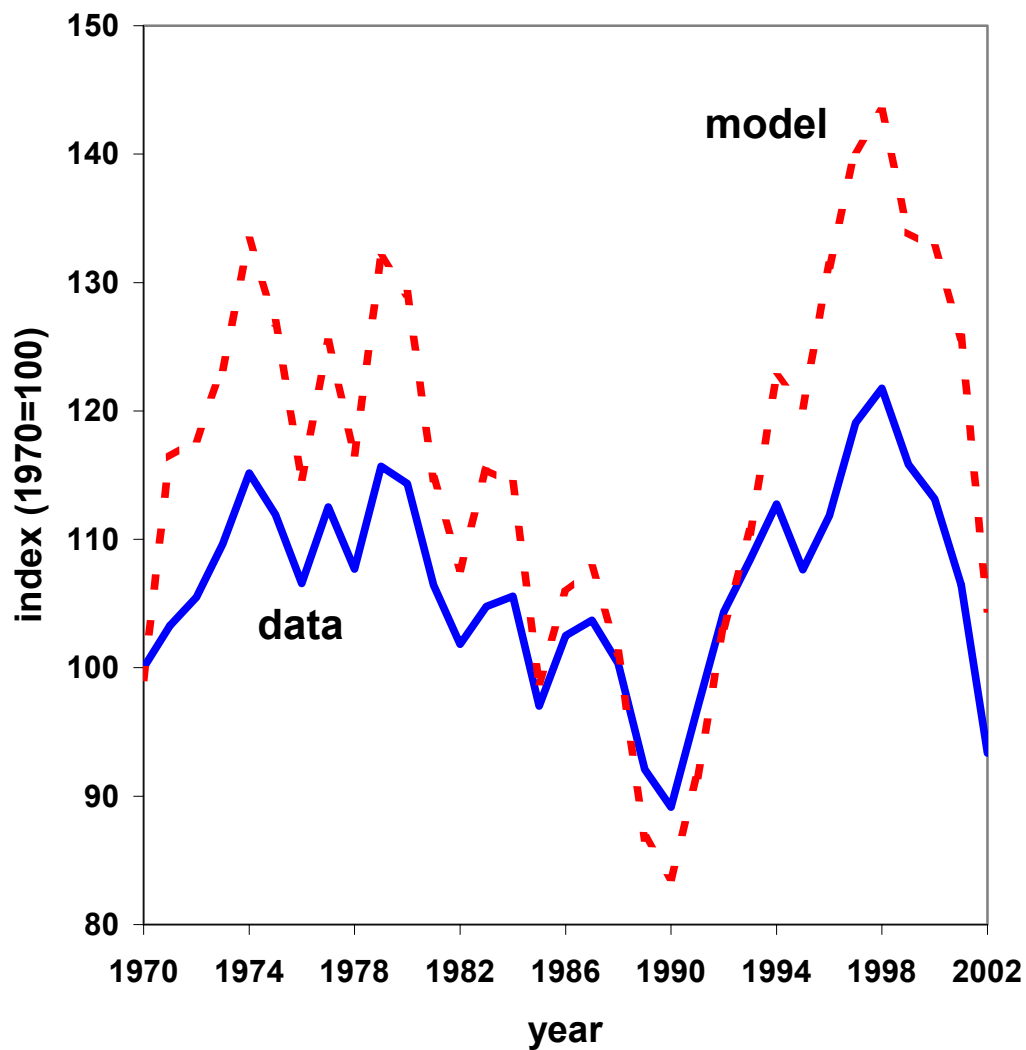
The model without adjustment costs is the special case $\eta = 1$.

In numerical experiments $\eta = 0.8$.

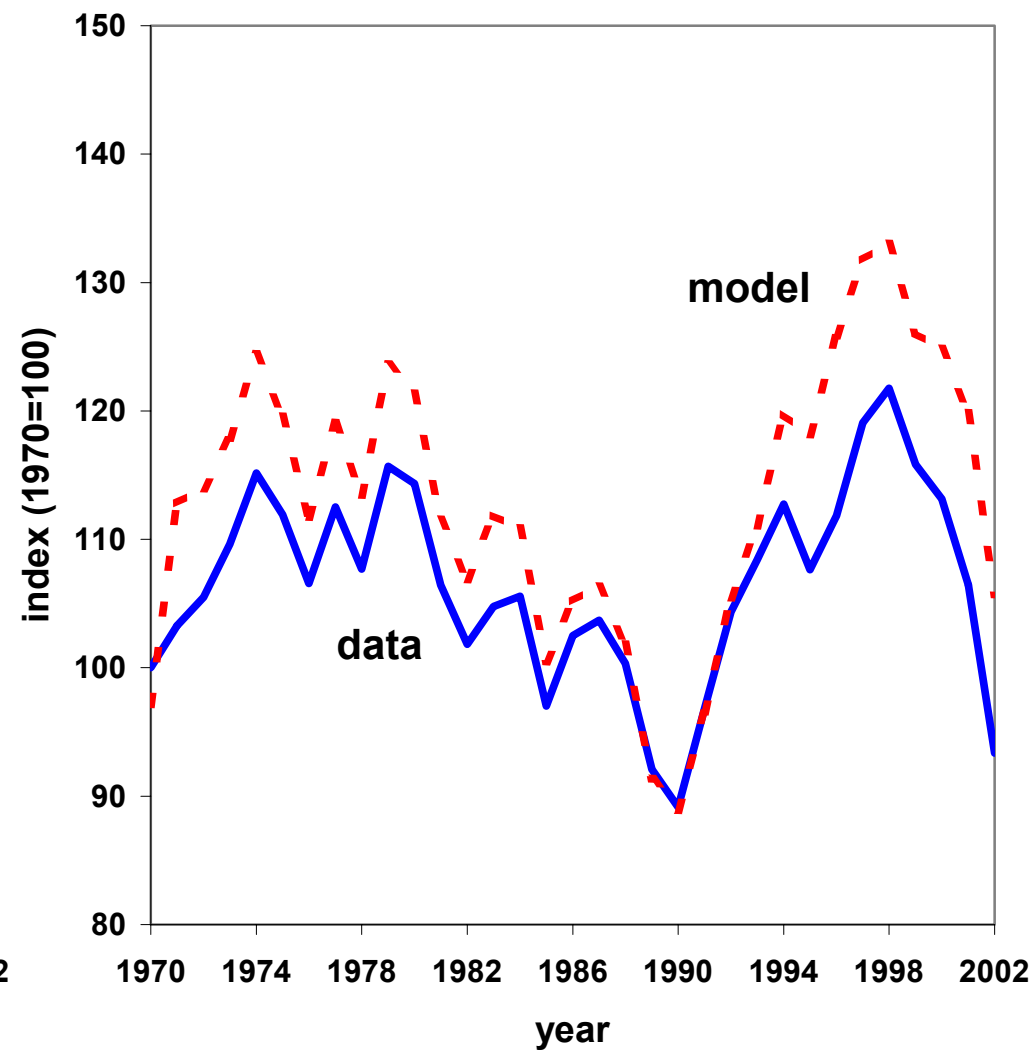
Should we model rigidity in the labor market (instead)?

Real GDP per Working- Age Person

Base Case Model

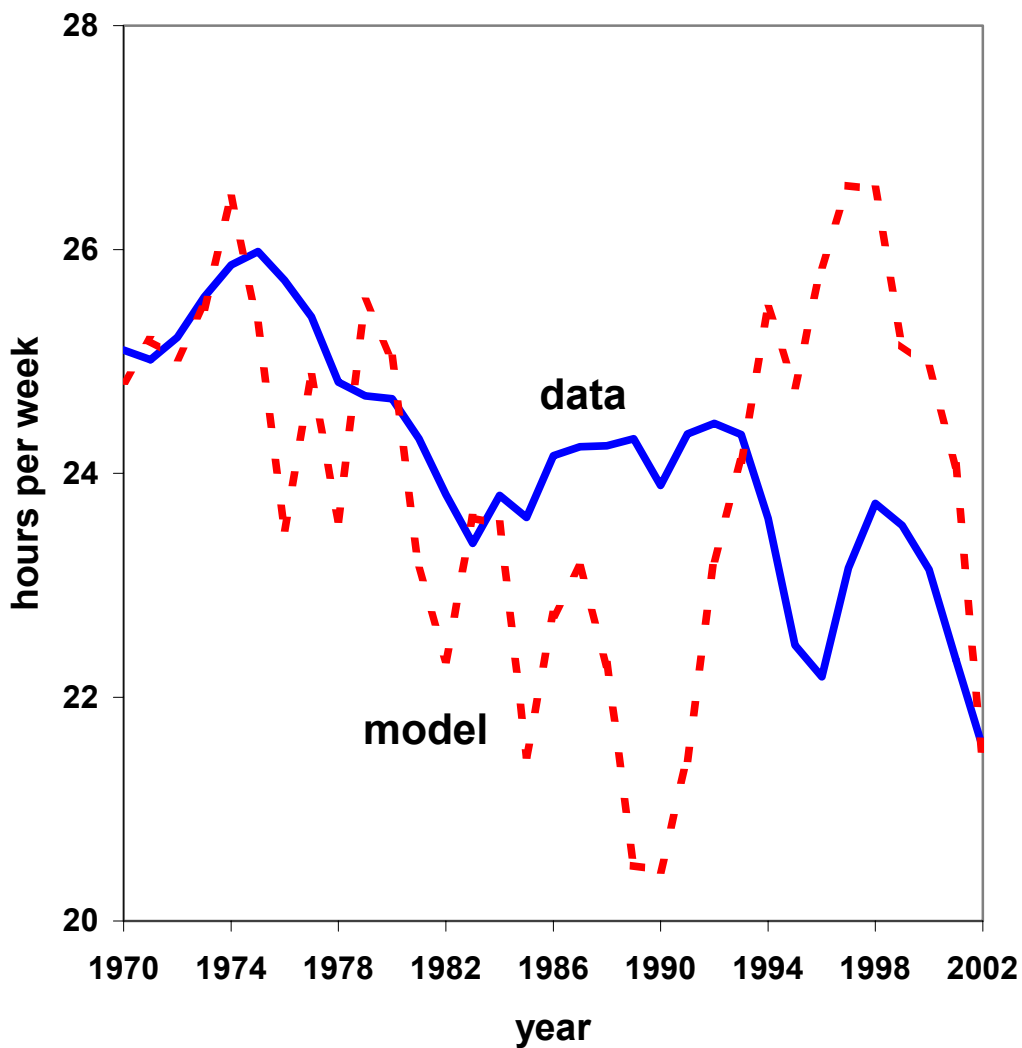


Model with Adjustment Costs

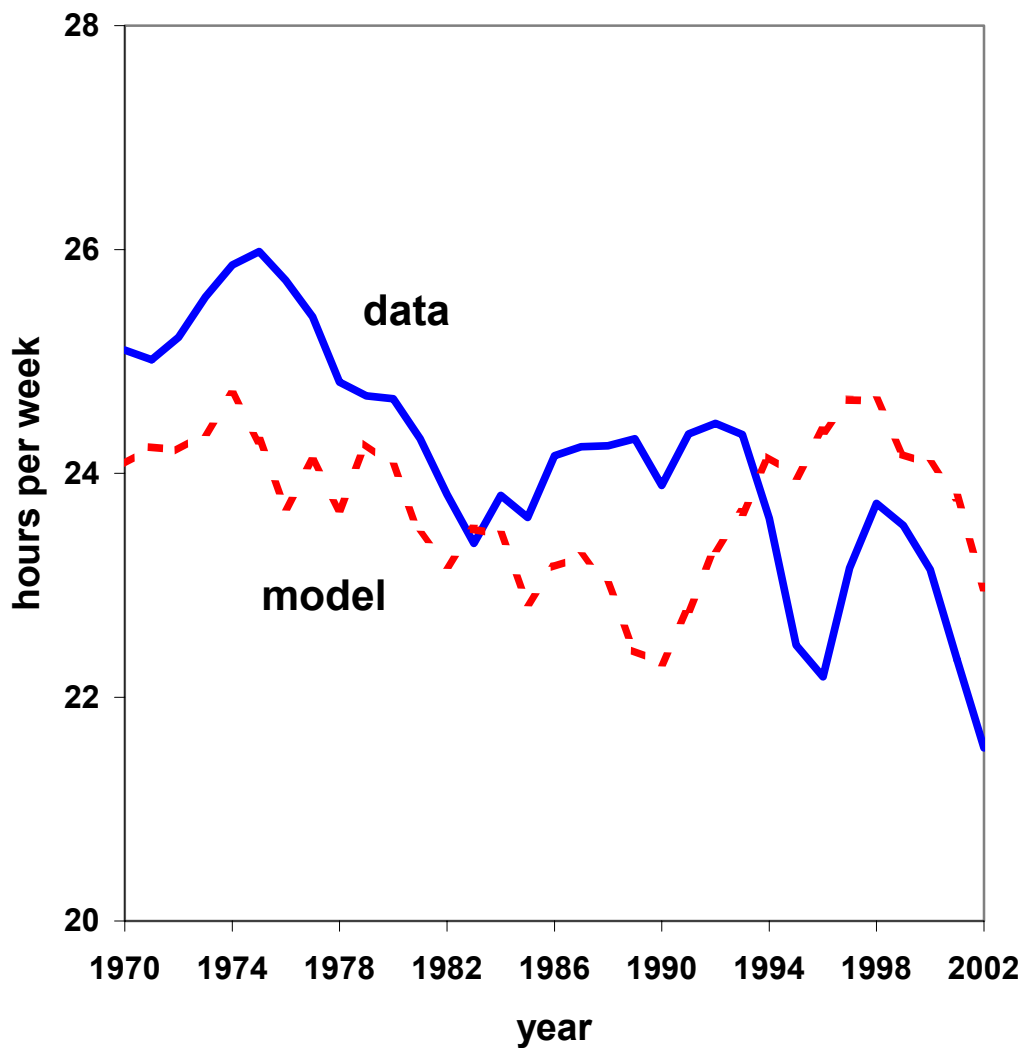


Hours Worked per Working-Age Person

Base Case Model

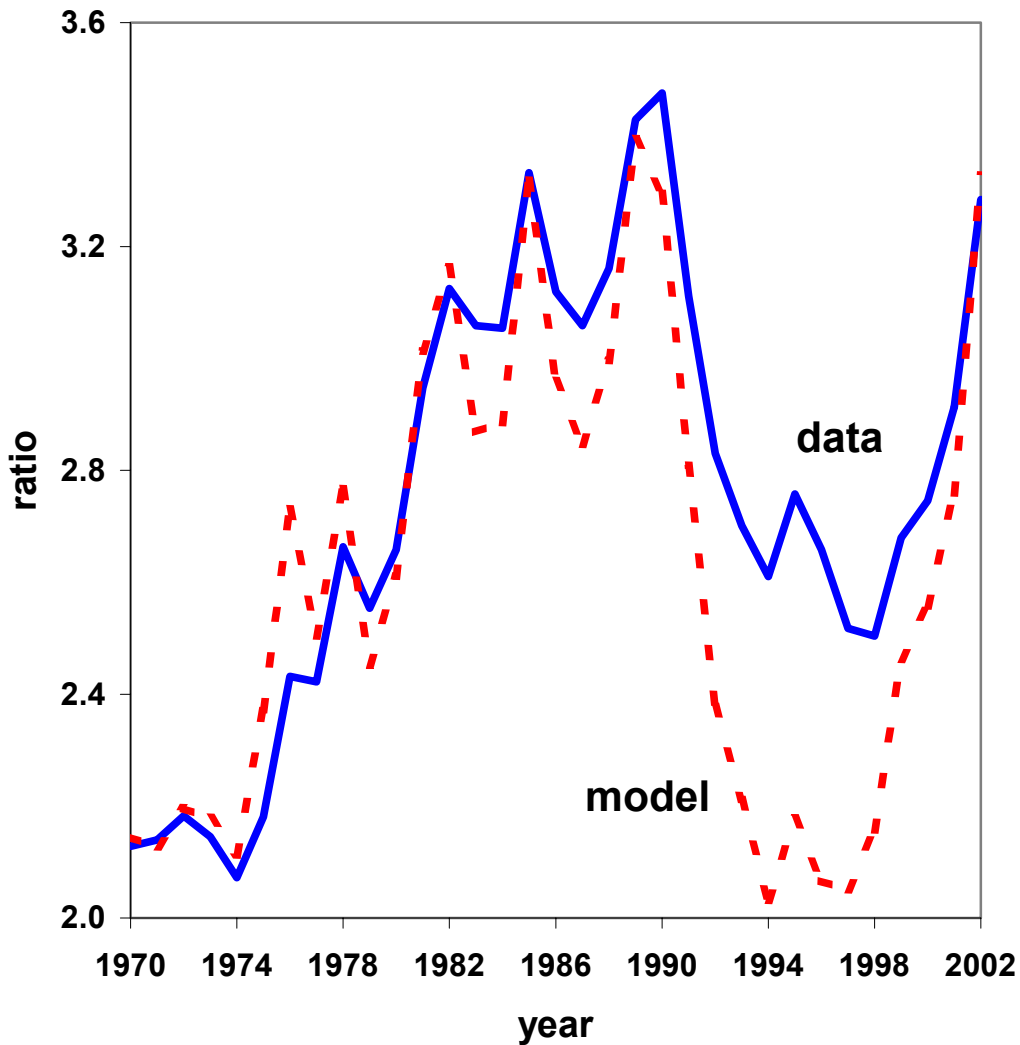


Model with Adjustment Costs

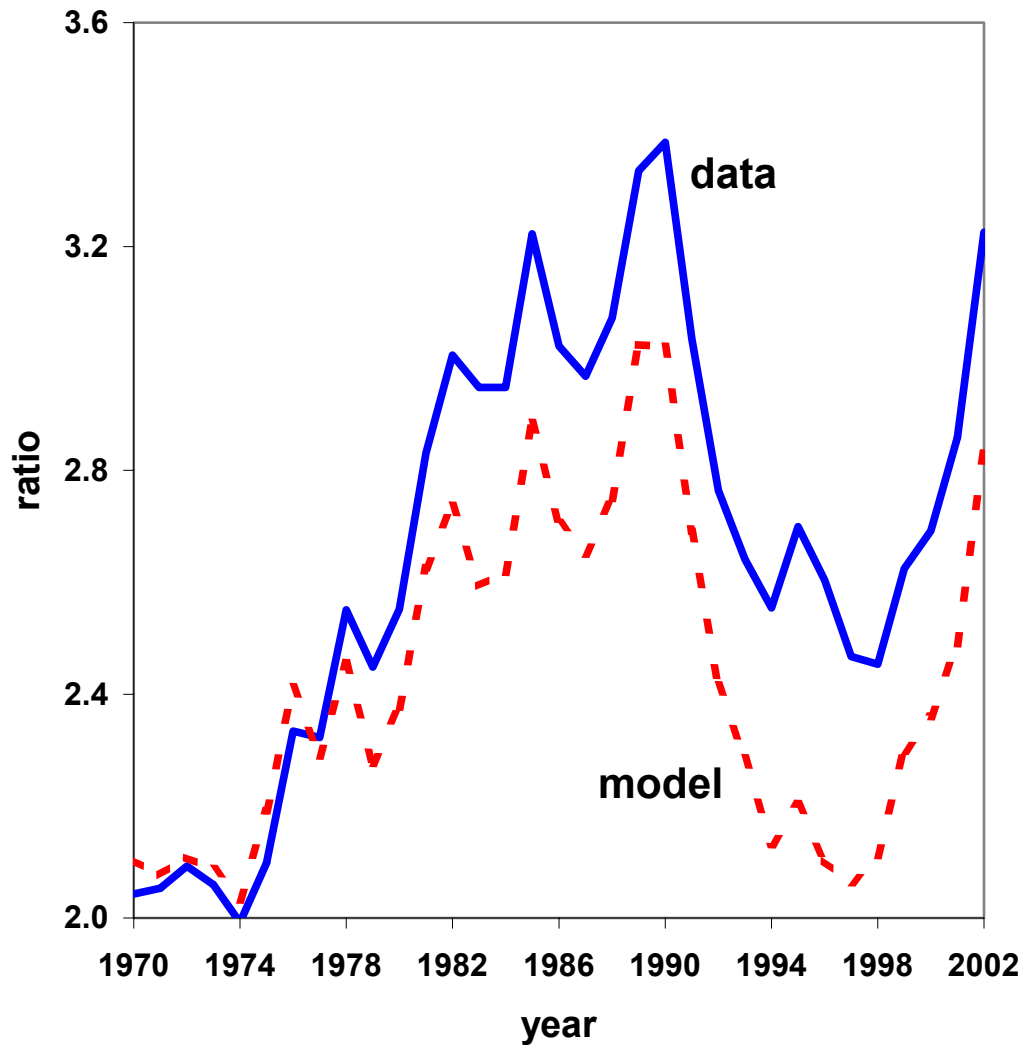


Capital-Output Ratio

Base Case Model

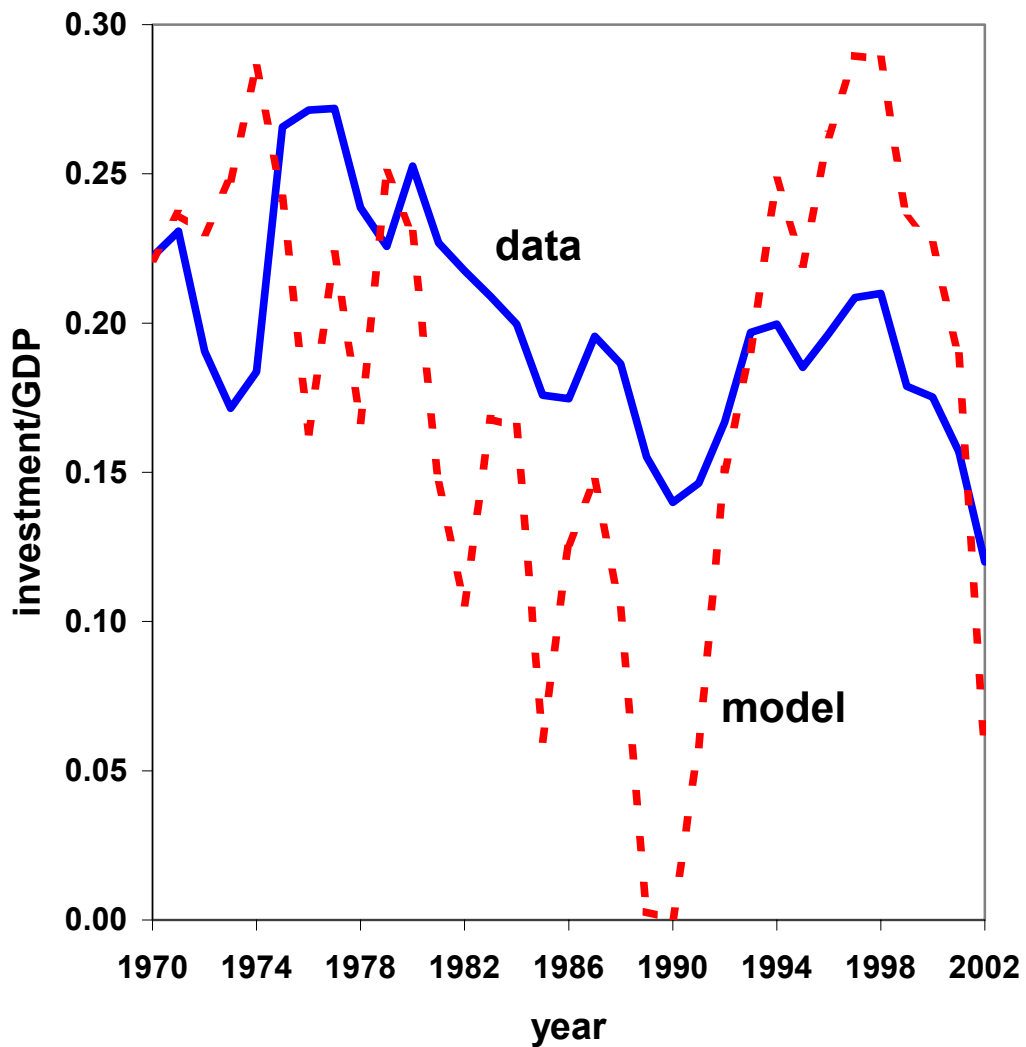


Model with Adjustment Costs

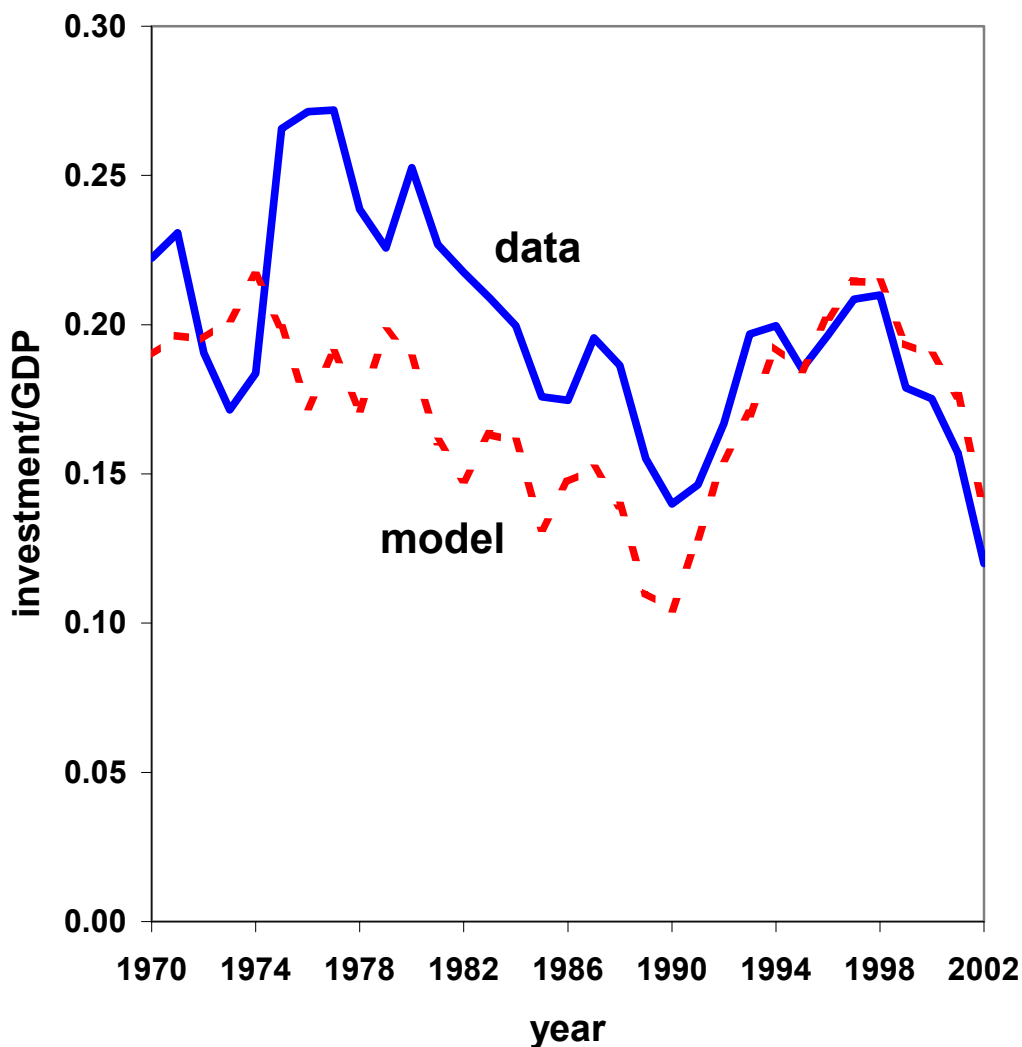


Investment Rate

Base Case Model



Model with Adjustment Costs



Mexico: 1988-2000

One-sector growth model

$$\text{maximize } \sum_{t=1988}^{\infty} \beta^t [\gamma \log C_t + (1-\gamma) \log(\bar{h}N_t - L_t)]$$

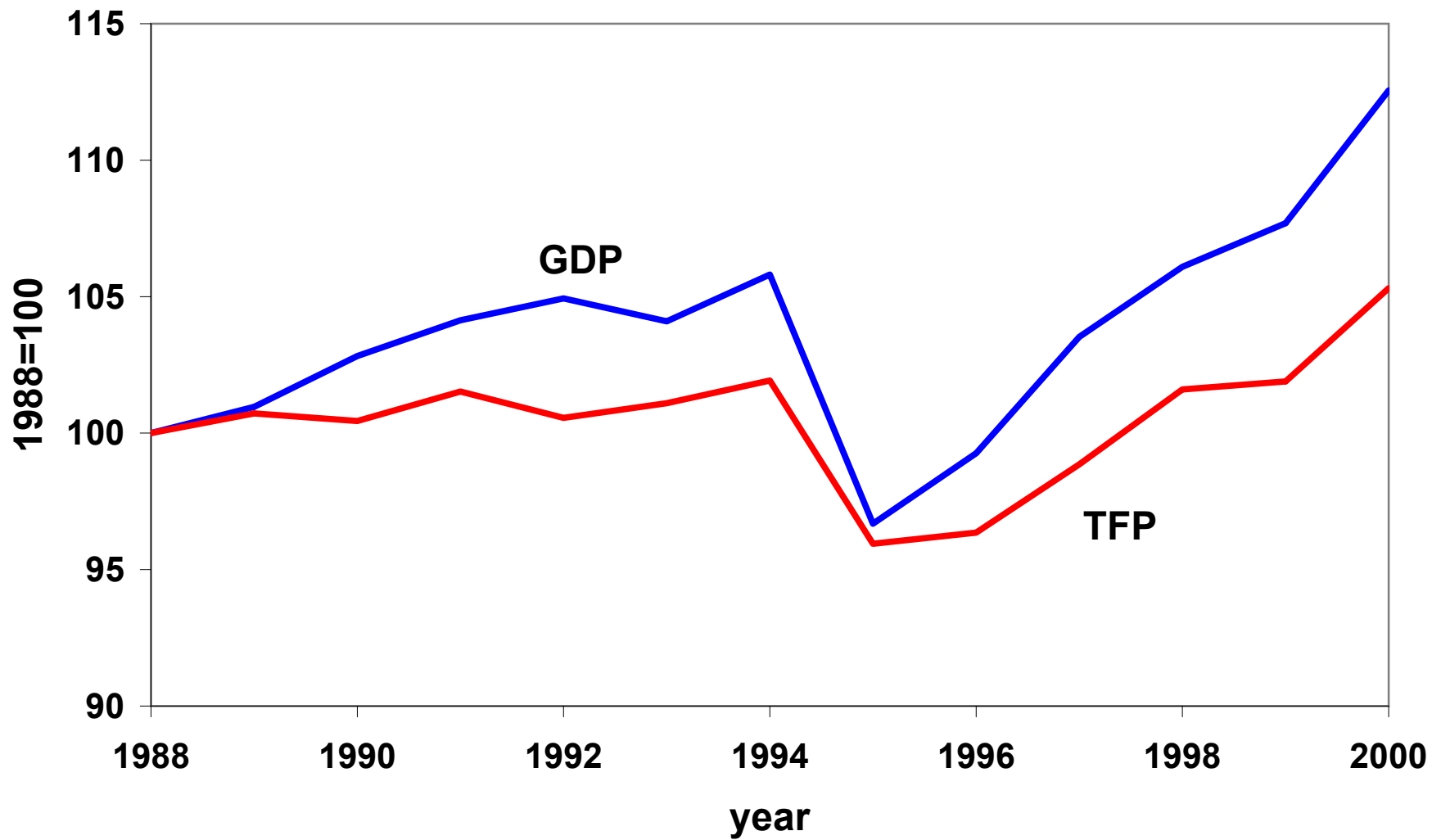
$$\text{subject to } C_t + K_{t+1} - K_t = w_t L_t + (1-\tau_t)(r_t - \delta)K_t + T_t - X_t$$

feasibility constraint

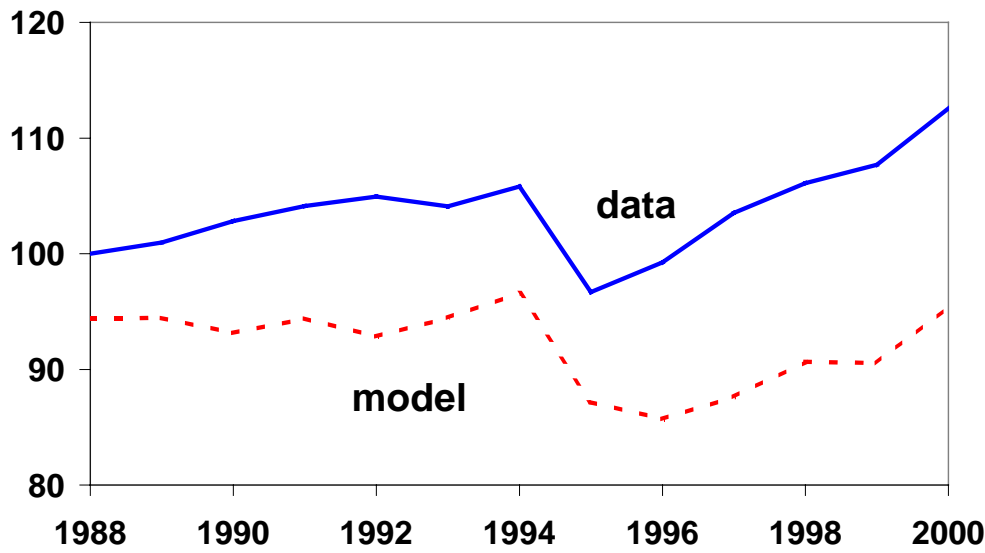
$$C_t + K_{t+1} - (1-\delta)K_t + X_t = A_t K_t^\alpha L_t^{1-\alpha}.$$

A_t and X_t are treated as exogenous.

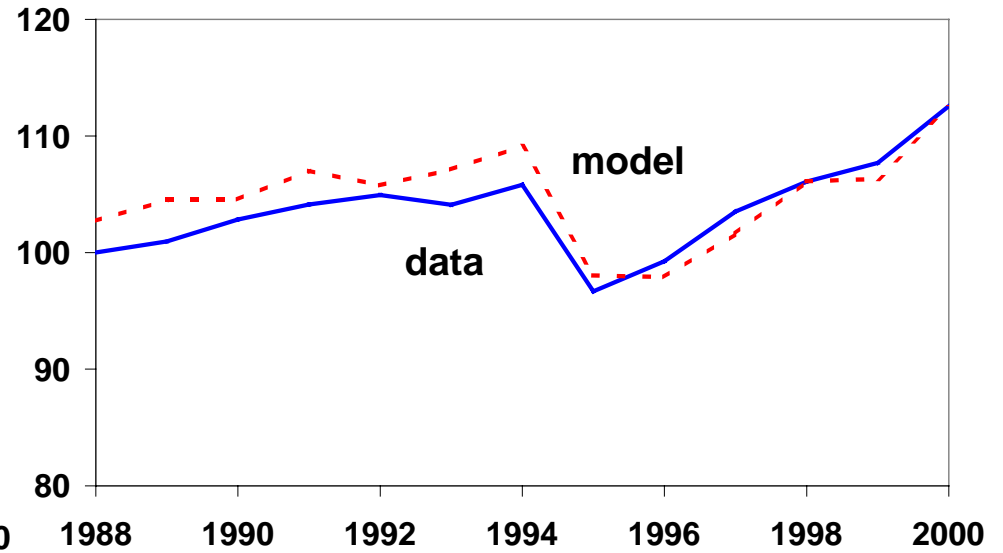
Real GDP per Working Age (15-64) person and TFP in Mexico



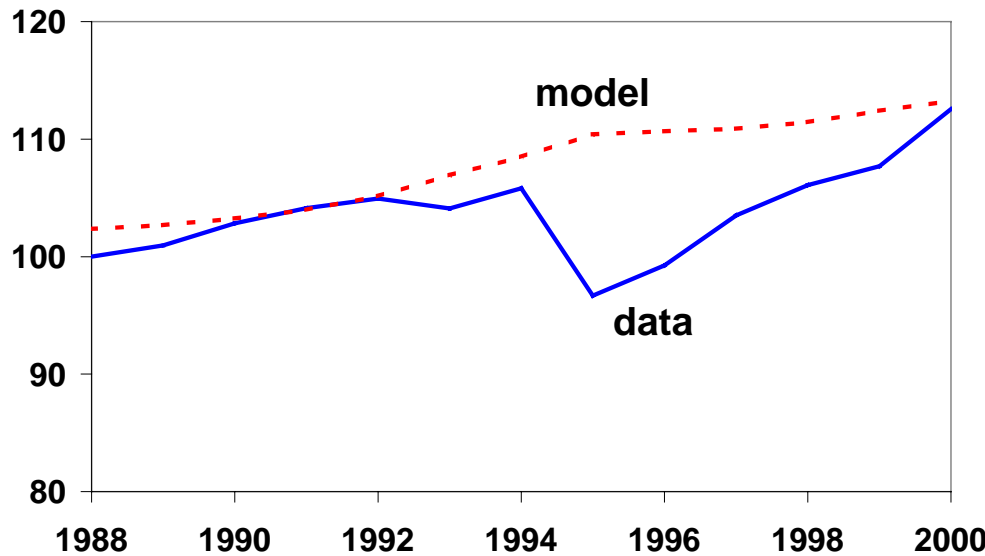
no tax reform



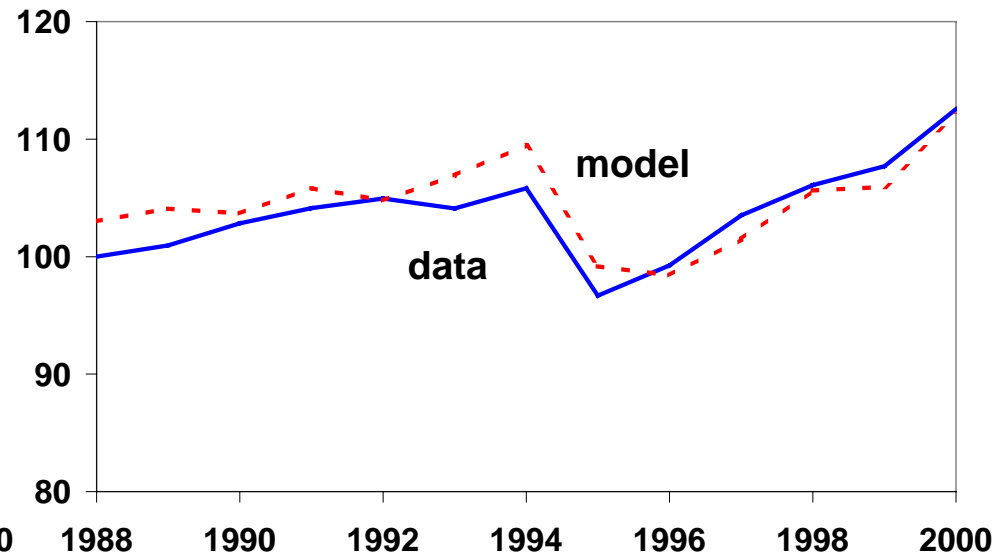
constant trade balance



trend TFP



taxes/trade balance/TFP



REAL EXCHANGE RATE

$$RER = NER \times \frac{P_{us}}{P_{ar}}$$

units :

$$\frac{\text{pesos}}{\text{dollar}} \times \frac{\text{dollars/U.S. basket}}{\text{pesos/Argentine basket}} = \frac{\text{Argentine baskets}}{\text{U.S. basket}}$$

Suppose $P_{ar} = NER \times P_{us}^T$ (law of one price)

$$RER^N = \frac{P_{ar}^T}{P_{us}^T} \times \frac{P_{us}}{P_{ar}} = \frac{(P_{us}/P_{us}^T)}{(P_{ar}/P_{ar}^T)}$$

RER^N is the part of the real exchange rate explained by the relative price of nontraded goods.

What is left over in RER is the real exchange rate for traded goods:

$$RER^T = NER \times \frac{P_{us}^T}{P_{ar}^T}$$

Notice that

$$RER = RER^T \times RER^N$$

$$\log RER = \log RER^T + \log RER^N$$

$$rer = rer^T + rer^N$$

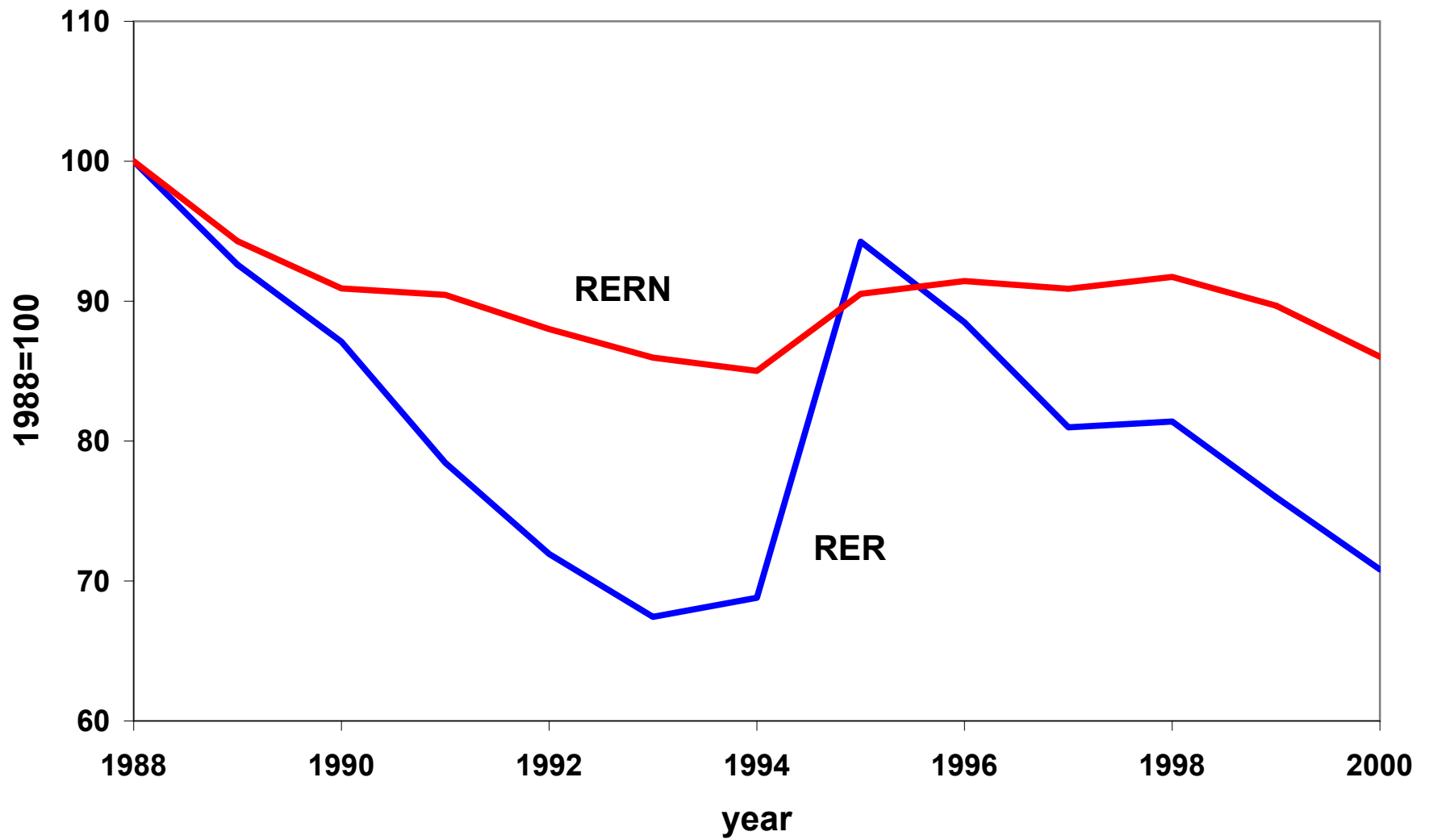
TRADED

Agriculture, Mining and Petroleum, and Manufacturing

NONTRADED

Construction and Services

Mexico-U.S. Real Exchange Rate



MODEL

Consumers

$$\max \sum_{t=0}^{\infty} \beta^t \left[\epsilon \left(\frac{c_{Tt}}{n_t} \right)^\rho + (1 - \epsilon) \left(\frac{c_{Nt}}{n_t} \right)^\rho - 1 \right] / \rho$$

subject to

$$p_{Tt}c_{Tt} + p_{Nt}c_{Nt} + a_{t+1} = w_t \ell_t + (1 + r_t)a_t + T_t$$

$$a_t \geq -A$$

where

$$a_t = q_{t-1}k_t + b_t,$$

$$k_0, b_0 \text{ given}$$

Here ℓ_t is working-age population and $n_t = 0.5\ell_t + 0.5pop_t$ is adult-equivalent population.

Production functions

Domestically produced traded good

$$y_{Dt} = \min[z_{TD}/a_{TD}, z_{ND}/a_{ND}, A_D k_{Dt}^{\alpha_D} \ell_{Dt}^{1-\alpha_D}]$$

Nontraded good

$$y_{Nt} = \min[z_{TN}/a_{TN}, z_{NN}/a_{NN}, A_N k_{Nt}^{\alpha_N} \ell_{Nt}^{1-\alpha_N}]$$

Investment good

$$i_t = G z_{TIt}^\gamma z_{NI t}^{1-\gamma}$$

Armington aggregator

$$y_{Tt} = M(\mu x_{Dt}^\zeta + (1 - \mu)m_t^\zeta)^{1/\zeta}$$

Market clearing

Domestically produced traded good

$$x_{Dt} + x_{Ft} = y_{Dt}$$

Composite traded good

$$c_{Tt} + z_{TI} + z_{TDt} + z_{TNt} = y_{Tt}$$

Nontraded good

$$c_{Nt} + z_{NI} + z_{NDt} + z_{NNt} = y_{Nt}$$

Investment good

$$k_{t+1} - (1 - \delta)k_t = i_t$$

Factor markets

$$k_{Dt} + k_{Nt} = k_t, \quad \ell_{Dt} + \ell_{Nt} = \ell_t$$

Balance of payments

$$m_t + b_{t+1} = p_{Dt}x_{Ft} + (1 + r_t)b_t$$

Foreign demand

$$x_{Ft} = D((1 + \tau_{Ft})p_{Dt})^{\frac{-1}{1-\zeta}}$$

Transfer of tariff revenue

$$T_t = \tau_{Dt}m_t$$

Profit maximization

Domestically produced traded good

$$w_t = (p_{Dt} - a_{TDt}p_{Tt} - a_{NDt}p_{Nt})A_D(1 - \alpha_D)(k_{Dt}/\ell_{Dt})^{\alpha_D}$$

$$1 + r_t = [(p_{Dt} - a_{TDt}p_{Tt} - a_{NDt}p_{Nt})A_D\alpha_D(\ell_{Dt}/k_{Dt})^{1-\alpha_D} + (1 - \delta)q_t]/q_{t-1}$$

Nontraded good

$$w_t = (p_{Nt} - a_{TNt}p_{Tt} - a_{NNt}p_{Nt})A_N(1 - \alpha_N)(k_{Nt}/\ell_{Nt})^{\alpha_N}$$

$$1 + r_t = [(p_{Nt} - a_{TNt}p_{Tt} - a_{NNt}p_{Nt})A_N\alpha_N(\ell_{Nt}/k_{Nt})^{1-\alpha_N} + (1 - \delta)q_t]/q_{t-1}$$

Investment good

$$p_{Tt} = q_t \gamma G(z_{NIt}/z_{TIt})^{1-\gamma}$$

$$p_{Nt} = q_t (1 - \gamma) G(z_{TIt}/z_{NIt})^\gamma$$

Armington aggregator

$$p_{Dt} = p_{Tt} \mu M^\zeta \left(\frac{c_{Tt} + z_{Tt}}{x_{Dt}} \right)^{1-\zeta}$$

$$1 + \tau_{Dt} = p_{Tt} (1 - \mu) M^\zeta \left(\frac{c_{Tt} + z_{Tt}}{m_t} \right)^{1-\zeta}$$

where

$$p_{Tt} = (1/M) \left[\mu^{\frac{1}{1-\zeta}} p_{Dt}^{\frac{-\zeta}{1-\zeta}} + (1 - \mu)^{\frac{1}{1-\zeta}} (1 + \tau_{Dt})^{\frac{-\zeta}{1-\zeta}} \right]^{\frac{-(1-\zeta)}{\zeta}}$$

CAPITAL ADJUSTMENT FRICTIONS

$$i_{Dt+1} + i_{Nt+1} \leq Gz_{Tt}^\gamma z_{Nt}^{1-\gamma}$$

$$k_{Dt+1} \leq \phi(i_{Dt+1}/k_{Dt})k_{Dt} + (1 - \delta)k_{Dt}$$

$$k_{Nt+1} \leq \phi(i_{Nt+1}/k_{Nt})k_{Nt} + (1 - \delta)k_{Nt}$$

$$\phi'(i/k) > 0, \quad \phi''(i/k) < 0, \quad \phi(\delta) = \delta, \quad \phi'(\delta) = 1$$

$$(\phi(i/k) = (\delta^{1-\eta}(i/k)^\eta - (1 - \eta)\delta)/\eta, \quad 0 < \eta \leq 1)$$

Adjusting the sector specific capital stock rapidly is costly. Capital in the traded goods sector has a different price, q_{Dt} , than capital in the nontraded goods sector, q_{Nt} .

(In simulations $\eta = 0.9$.)

LABOR ADJUSTMENT FRICTIONS

$$\ell_{Dt+1} \leq \lambda \ell_{Dt}$$

$$\ell_{Nt+1} \leq \lambda \ell_{Nt}$$

There is a limit to how fast sector specific labor can adjust. Labor in the traded goods sector receives a different wage, w_{Dt} , than labor in the nontraded goods sector, w_{Nt} .

(In simulations $\lambda = 1.03$.)

SUDDEN STOP!

$$b_t = b_{t-1} + \bar{b}, t = T, \dots, T + N$$

Domestic interest rate is endogenously determined, although interest payments on foreign debt $-b_t$ are made at international interest rate.

REAL GDP

$$Y_t = p_{Dt_0} y_{Dt} - p_{Tt_0} z_{TDt} - p_{Nt_0} z_{NDt} \\ + p_{Nt_0} y_{Nt} - p_{Tt_0} z_{TNt} - p_{Nt_0} z_{NNt} + \tau_{Dt} m_t$$

REAL INVESTMENT

$$I_t = p_{Tt_0} z_{TI} + p_{Nt_0} z_{NI}$$

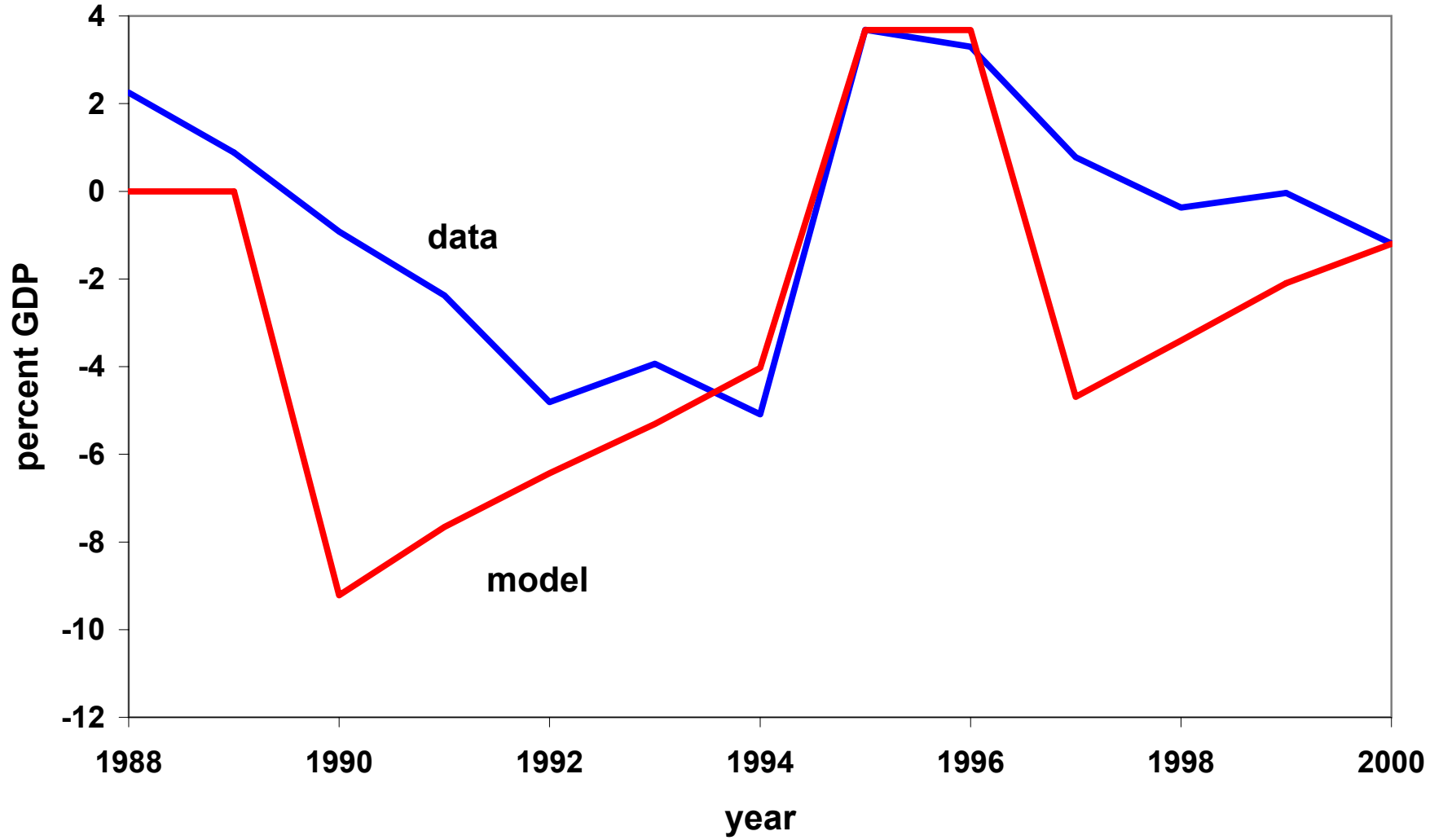
REAL CAPITAL STOCK

$$K_{t+1} = (1 - \delta)K_t + I_t$$

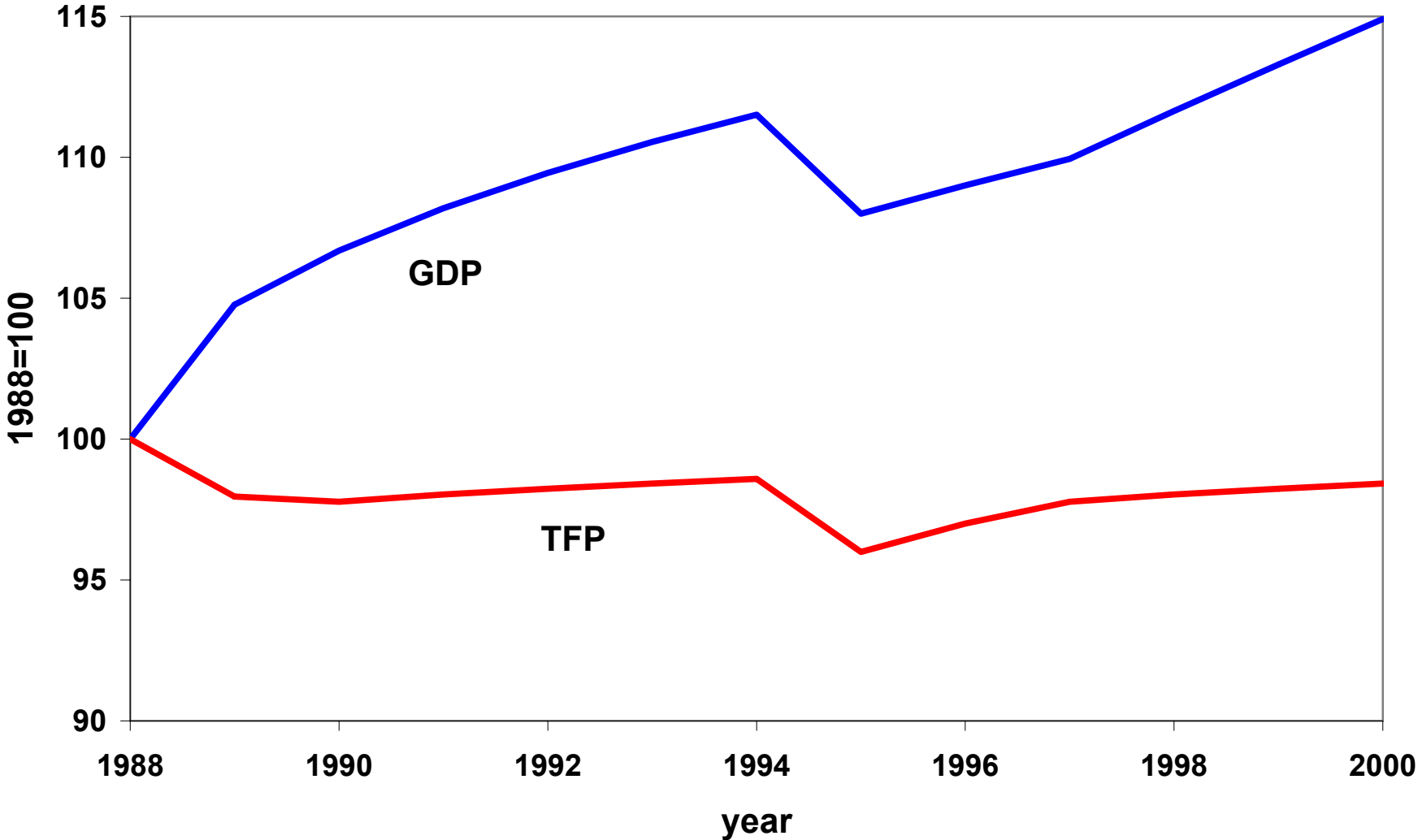
TOTAL FACTOR PRODUCTIVITY

$$TFP_t = \frac{Y_t}{K_t^\alpha (\ell_{Dt} + \ell_{Nt})^{1-\alpha}}$$

Trade Balance



Real GDP per Working Age (15-64) person and TFP in Mexico Model



Real Exchange Rate

